### **Syntax-Based Decoding 2**

Philipp Koehn

7 April 2015





# flashback: syntax-based models



• Nonterminal rules

 $\mathsf{NP} \to \mathsf{DET}_1 \: \mathsf{NN}_2 \: \mathsf{JJ}_3 \mid \mathsf{DET}_1 \: \mathsf{JJ}_3 \: \mathsf{NN}_2$ 

• Terminal rules

 $N \rightarrow maison \mid house$  $NP \rightarrow la maison bleue \mid the blue house$ 

• Mixed rules

 $\mathsf{NP} \to la \text{ maison } \mathsf{JJ}_1 \mid \text{ the } \mathsf{JJ}_1 \text{ house}$ 

### **Extracting Minimal Rules**



Extracted rule:  $S \rightarrow X_1 X_2 | PRP_1 VP_2$ DONE — note: one rule per alignable constituent



# flashback: decoding

# **Chart Organization**





- Chart consists of cells that cover contiguous spans over the input sentence
- For each span, a stack of (partial) translations is maintained
- Bottom-up: a higher stack is filled, once underlying stacks are complete

#### **Prefix Tree for Rules**





#### **Highlighted Rules**

# **CYK+** Parsing for SCFG





# **Processing One Span**



#### Extend lists of dotted rules with cell constituent labels

#### span's dotted rule list (with same start) plus neighboring span's constituent labels of hypotheses (with same end)



# pruning



#### Where are we now?



- We know which rules apply
- We know where they apply (each non-terminal tied to a span)
- But there are still many choices
  - many possible translations
  - each non-terminal may match multiple hypotheses
  - $\rightarrow$  number choices exponential with number of non-terminals

# **Rules with One Non-Terminal**







- Non-terminal will be filled any of *h* underlying matching hypotheses
- Choice of *t* lexical translations
- $\Rightarrow$  Complexity O(ht)

(note: we may not group rules by target constituent label, so a rule NP  $\rightarrow$  des X | the NP would also be considered here as well)





Found applicable rule  $NP \rightarrow X_1 \text{ des } X_2 \mid NP_1 \dots NP_2$ 



- Two non-terminal will be filled any of *h* underlying matching hypotheses each
- Choice of *t* lexical translations
- $\Rightarrow$  Complexity  $O(h^2t)$  a three-dimensional "cube" of choices

(note: rules may also reorder differently)

#### **Cube Pruning**





Arrange all the choices in a "cube"

(here: a square, generally a orthotope, also called a hyperrectangle)





• Hypotheses created in cube: (0,0)



#### Add ("Pop") Hypothesis to Chart Cell



- Hypotheses created in cube:  $\epsilon$
- Hypotheses in chart cell stack: (0,0)





- Hypotheses created in cube: (0,1), (1,0)
- Hypotheses in chart cell stack: (0,0)



#### **Pop Best Hypothesis to Chart Cell**



- Hypotheses created in cube: (0,1)
- Hypotheses in chart cell stack: (0,0), (1,0)





- Hypotheses created in cube: (0,1), (1,1), (2,0)
- Hypotheses in chart cell stack: (0,0), (1,0)

#### More of the Same





- Hypotheses created in cube: (0,1), (1,2), (2,1), (2,0)
- Hypotheses in chart cell stack: (0,0), (1,0), (1,1)

# **Queue of Cubes**



- Several groups of rules will apply to a given span
- Each of them will have a cube
- We can create a queue of cubes
- $\Rightarrow$  Always pop off the most promising hypothesis, regardless of cube

• May have separate queues for different target constituent labels

# **Bottom-Up Chart Decoding Algorithm**



- 1: **for** all spans (bottom up) **do**
- 2: extend dotted rules
- 3: **for all** dotted rules **do**
- 4: find group of applicable rules
- 5: create a cube for it
- 6: create first hypothesis in cube
- 7: place cube in queue
- 8: end for
- 9: **for** specified number of pops **do**
- 10: pop off best hypothesis of any cube in queue
- 11: add it to the chart cell
- 12: create its neighbors
- 13: **end for**
- 14: extend dotted rules over constituent labels
- 15: **end for**



# recombination and pruning

# **Dynamic Programming**



Applying rule creates new hypothesis



# **Dynamic Programming**



#### Another hypothesis



# Both hypotheses are indistiguishable in future search $\rightarrow$ can be recombined

### **Recombinable States**



Recombinable?

NP: a cup of coffee

NP: a cup of coffee

NP: a mug of coffee

### **Recombinable States**



Recombinable?

NP: a cup of coffee

NP: a cup of coffee

NP: a mug of coffee

Yes, iff max. 2-gram language model is used

# Recombinability



Hypotheses have to match in

- span of input words covered
- output constituent label
- first *n*–1 output words

not properly scored, since they lack context

• last *n*–1 output words

still affect scoring of subsequently added words, just like in phrase-based decoding

(n is the order of the n-gram language model)

# Language Model Contexts



#### When merging hypotheses, internal language model contexts are absorbed



# **Stack Pruning**



- Number of hypotheses in each chart cell explodes
- $\Rightarrow$  need to discard bad hypotheses e.g., keep 100 best only
  - Different stacks for different output constituent labels?
  - Cost estimates
    - translation model cost known
    - language model cost for internal words known  $\rightarrow$  estimates for initial words
    - outside cost estimate?
      (how useful will be a NP covering input words 3–5 later on?)



# scope 3 pruning

## How Often Does a Rule Apply?



• Lexical rule  $\rightarrow$  only once in sentence

 $\mathsf{NP} \to \mathsf{la}\xspace$  maison bleue  $\ | \ \mathsf{the}\xspace$  house

• One non-terminal bounded by words  $\rightarrow$  only once in sentence

 $NP \rightarrow la NN_1 bleue \mid the blue NN_1$ 

• One non-terminal at edge of rule  $\rightarrow$  non-terminal can cover O(n) words

 $NP \rightarrow la NN_1 \mid the NN_1$ 

• Two non-terminals at edges  $\rightarrow$  combined choices for both non-terminals  $O(n^2)$ 

 $NP \rightarrow DET_1 \text{ maison } JJ_2 \mid DET_1 JJ_2 \text{ house}$ 

### **Choice Points**





- 4 choice points  $\rightarrow O(n^4)$  application contexts
- Too many choice points  $\rightarrow$  rule applied to many times

# **Recall: Hierarchical Rule Extraction**



- Having only one non-terminal symbol X
- Restrictions to limit complexity
  - at most 2 nonterminal symbols
  - no neighboring non-terminals on the source side
  - span at most 15 words (counting gaps)
- $\Rightarrow$  At most 2 choice points ("scope 2")

## **Rule Binarization**



- Convert grammar to Chomsky Normal Form (CNF) scope 3
- Only allow two types of rules  $A \rightarrow Word$  $A \rightarrow B C$

(Note: for our rules, we would allow additional terminals)

• Convert rules  $A \rightarrow X Y Z$ with more non-terminals  $\downarrow A \rightarrow X Q$  $Q \rightarrow Y Z$ 

(**Q** is a new non-terminal, specific to this rule)

- But:
  - increases the number of non-terminals ("grammar constant")
  - can be tricky for SCFG rules

# **Scope 3 Pruning**



- Remove all rules with scope > 3
- Less restrictive than CNF e.g., allows:

 $A \rightarrow DET_1 \text{ maison } JJ_2 \text{ sur } la \text{ NN}_3 \mid DET_1 JJ_2 \text{ house on the NN}_3$ 

(2 choice points at edges)

• Better speed/quality trade-off than synchronous binarization



# recursive cky+



• Two charts: (1) hypothesis chart, (2) dotted rule chart



• Dotted rule chart allows dynamic programming of rules with same prefix

# **Expansion of Dotted Rules**



• Dotted rules are expanded recursively



• Dotted rules are stored with each chart cell

### **Recursive CKY+**



- Recursive CKY+ (Sennrich, 2014) removes need for dotted rule chart
- Chart traversal is re-arranged



#### with dotted rule chart

without dotted rule chart

#### **Recursive CKY+**



- Rule expansion by recursive function calls
- Rules can be immediately expanded, because all needed cells already processed





# search strategies

# **Two-Stage Decoding**



- First stage: decoding without a language model (-LM decoding)
  - may be done exhaustively
  - eliminate dead ends
  - optionably prune out low scoring hypotheses
- Second stage: add language model
  - limited to packed chart obtained in first stage
- Note: essentially, we do two-stage decoding for each span at a time
  - stage 1: find applicable rules
  - stage 2: cube pruning

#### **Coarse-to-Fine**



- Decode with increasingly complex model
- Examples
  - reduced language model [Zhang and Gildea, 2008]
  - reduced set of non-terminals [DeNero et al., 2009]
  - language model on clustered word classes [Petrov et al., 2008]

## **Outside Cost Estimation**



- Which spans should be more emphasized in search?
- Initial decoding stage can provide outside cost estimates



• Use min/max language model costs to obtain admissible heuristic (or at least something that will guide search better)

## **Open Questions**



- What causes the high search error rate?
- Where does the best translation fall out the beam?
- How accurate are LM estimates?
- Are particular types of rules too quickly discarded?
- Are there systemic problems with cube pruning?